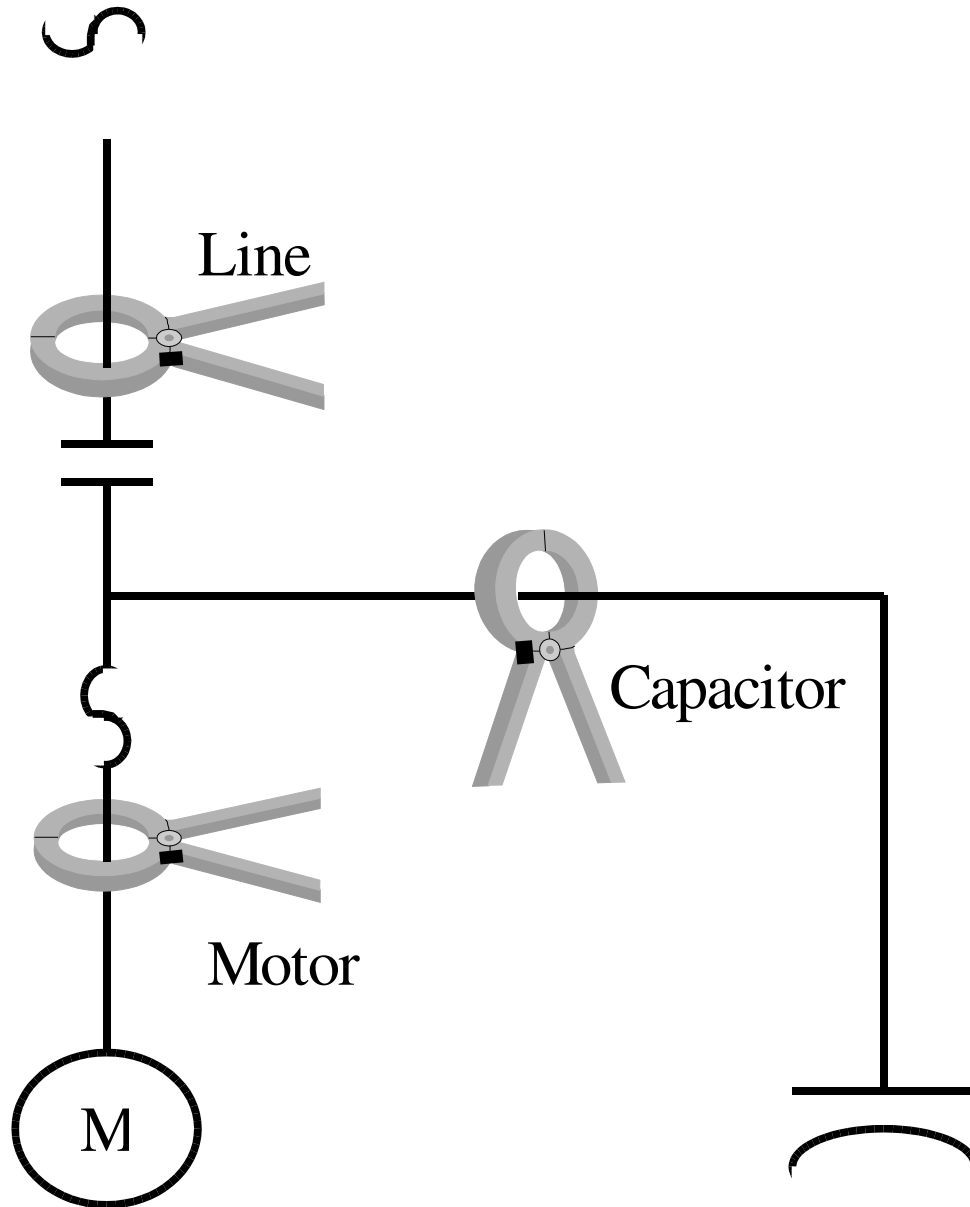


Calculating power factor from amperage

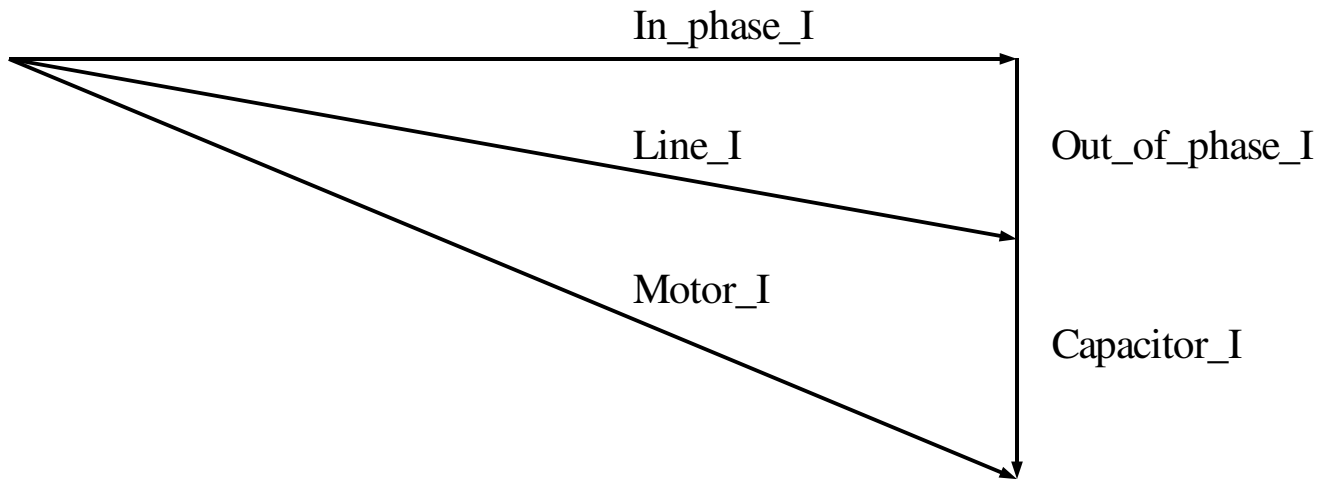
Amperage readings as taken in a motor starter where the capacitor is switched with the motor.



NOTES:

- 1) If the circuit is three-phase,
 - a) the current must be approximately equal on all three phases of the motor, and
 - b) the current must be approximately equal on all three phases of the capacitor.
- 2) The load on the motor must be constant while the three readings are taken.
- 3) If the load cycles, the cycles must be regular so readings can be obtained using a meter with an averaging function.

Amperage to Power Factor Explanation



Two right angle triangles can be described:

$$\text{In_phase_I}^2 = \text{Line_I}^2 - \text{Out_of_phase_I}^2$$

$$\text{In_phase_I}^2 = \text{Motor_I}^2 - (\text{Out_of_phase_I} + \text{Capacitor_I})^2$$

Written as one statement and simplified:

$$\text{Motor_I}^2 - (\text{Out_of_phase_I} + \text{Capacitor_I})^2$$

$$\text{Motor_I}^2 - \text{Out_of_phase_I}^2 - \text{Capacitor_I}^2 - (\text{Out_of_phase_I} \times \text{Capacitor_I} \times 2)$$

$$\text{Motor_I}^2 - \text{Capacitor_I}^2 - (\text{Out_of_phase_I} \times \text{Capacitor_I} \times 2)$$

$$\text{Motor_I}^2 - \text{Capacitor_I}^2 - \text{Line_I}^2$$

$$(\text{Motor_I}^2 - \text{Capacitor_I}^2 - \text{Line_I}^2) / (\text{Capacitor_I} \times 2)$$

$$= \text{Line_I}^2 - \text{Out_of_phase_I}^2$$

$$= \text{Line_I}^2 - \text{Out_of_phase_I}^2$$

$$= \text{Line_I}^2$$

$$= \text{Out_of_phase_I} \times \text{Capacitor_I} \times 2$$

$$= \text{Out_of_phase_I}$$

In phase current is calculated:

$$\text{Line_I}^2 - \text{Out_of_phase_I}^2 = \text{In_phase_I}^2$$

The power factor of the motor:

$$\text{In_phase_I} / \text{Motor_I} = \text{Motor_power_factor}$$

The corrected power factor:

$$\text{In_phase_I} / \text{Line_I} = \text{Line_power_factor}$$